Prediction and Control of Salt Accumulation in the Upper Root Zone Under Sub-Surface Drip Irrigation

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Introduction

Sub-surface drip irrigation (SSDI) is expected to play a key-role in arid regions as the ultimate water saving method.





One of the drawback of SSDI: the accumulation of salt to the upper root zone and it cannot be leached out by water from emitter.

Introduction





Distribution of volumetric water content under subsurface drip irrigation in almond field (under vital tree) at Sa'as kibutsu, Israel





Distribution of electrical conductivity of saturated extract under subsurface drip irrigation in almond field (under vital tree) at Sa'as kibutsu, Israel

Introduction

Upward Leaching Method

- 1.Application of much water enough to make wetting front reach to the soil surface
- 2.Scraping of surface layer after salt accumulates due to evaporation



Objectives

- To develop a simulation model for predicting salt accumulation and leaching under sub-surface drip irrigation: i.
 e. two dimensional movement of water, heat and solute as well as evapotranspiration and root water uptake, considering the water vapor movement and effect of salt crust on evaporation.
- To test the validity of the model by comparison with experimental results

• To evaluate the upward leaching method to remove accumulated salt in the upper root zone.

Materials and Methods

soil: Masa loamy sand placed in a greenhouse plant: soybean

7/16: seeding

- 8/15: saturation with tap water
- 9/ 1: irrigation with 5000ppm CaCl₂ solution started irrigation depth = ET
- 9/25: upward leaching with 1.7 cm
- 10/1: scraping and sampling





Numerical Simulation

Governing equation for water flow $\frac{\partial \theta}{\partial t} = -\left|\frac{\partial q_{lx}}{\partial x} + \frac{\partial q_{lz}}{\partial z}\right| - \left|\frac{\partial q_{vx}}{\partial x} + \frac{\partial q_{vz}}{\partial z}\right| + S$ $q_{lx} = -K \frac{\partial \Psi}{\partial x}$ $q_{lz} = -K \left[\frac{\partial \psi}{\partial z} - 1 \right]$ $q_{lz} = -K \left[\frac{\partial \psi}{\partial z} - 1 \right]$ $q_{vx} = -a\tau \rho_w^{-1} h_r D_{va} \left[\frac{\rho_v *}{R_v T_s} \frac{\partial \psi_w}{\partial x} + \eta \frac{\partial \rho_v *}{\partial T_s} \frac{\partial T_s}{\partial x} \right]$ $q_{vz} = -a\tau \rho_w^{-1} h_r D_{va} \left[\frac{\rho_v *}{R_v T_s} \frac{\partial \psi_w}{\partial z} + \eta \frac{\partial \rho_v *}{\partial T_s} \frac{\partial T_s}{\partial z} \right]$ $q_{vz} = -a\tau \rho_w^{-1} h_r D_{va} \left[\frac{\rho_v *}{R_v T_s} \frac{\partial \psi_w}{\partial z} + \eta \frac{\partial \rho_v *}{\partial T_s} \frac{\partial T_s}{\partial z} \right]$ $q_{vz} = -a\tau \rho_w^{-1} h_r D_{va} \left[\frac{\rho_v *}{R_v T_s} \frac{\partial \psi_w}{\partial z} + \eta \frac{\partial \rho_v *}{\partial T_s} \frac{\partial T_s}{\partial z} \right]$ $q_{vz} = -a\tau \rho_w^{-1} h_r D_{va} \left[\frac{\rho_v *}{R_v T_s} \frac{\partial \psi_w}{\partial z} + \eta \frac{\partial \rho_v *}{\partial T_s} \frac{\partial T_s}{\partial z} \right]$ $q_{vz} = -a\tau \rho_w^{-1} h_r D_{va} \left[\frac{\rho_v *}{R_v T_s} \frac{\partial \psi_w}{\partial z} + \eta \frac{\partial \rho_v *}{\partial T_s} \frac{\partial T_s}{\partial z} \right]$

- θ : volumetric water content
- q_i : liquid water flux (cm/s)
- $q_{\rm w}$: water vapor flux (cm/s)
- *K*: hydraulic conductivity (cm/s)
- ψ : pressure head (cm)
- ψ : matric potential (cm)
- ψ_{w} : water potential(cm)
- a: air-filled porosity
- τ : tortuosity
- D_{y} : water vapor diffusion coefficient in air (cm^2/s)

- S : root water uptake (s⁻¹)

Numerical Method: Alternative Direction Implicit FDM (ADI) with Celia(1990)'s mass-conservative iteration scheme

Transpiration Rate

Potential Transpiration Rate (T_m)

 $T_{rp} = W E_p K_c$

W: width of the target region (cm) E_p : ET by Penman equation (cm/s) K_c : crop coefficient for transpiration $K_c = a_{kc} [1 - \exp(b_{kc} \Sigma T dt)] + c_{kc}$ a_k , b_k : plant-specific parameters <u>Actual Transpiration Rate(T</u>)

 $T_r = \int_0^{drt} \int_0^W S \, dx \, dz$

$$S = T_{rp} \beta \alpha_w \alpha_s$$

 α_{w} : reduction coefficient for water stress α_{s} : reduction coefficient for salinity stress



Cumulative transpiration amount ΣT_r (cm)

Crop coefficient as a function of cumulative transpiration amount

Root Water Uptake



Drought and salinity stress response function for soybean

Governing equation for solute movement

$$\frac{\partial (\theta c)}{\partial t} = -\left| \frac{\partial q_{sx}}{\partial x} + \frac{\partial q_{sz}}{\partial z} \right| + S_c$$

$$q_{sx} = -\theta D_{xx} \frac{\partial c}{\partial x} - \theta D_{xz} \frac{\partial c}{\partial z} + q_{lx} c$$

$$q_{sz} = -\theta D_{zz} \frac{\partial c}{\partial z} - \theta D_{xz} \frac{\partial c}{\partial x} + q_{lz} c$$

$$\theta D_{xx} = \theta D_{iw} \tau_s + \frac{\lambda_L q_{lx}^2 + \lambda_T q_{lz}^2}{|q_l|}$$

$$\theta D_{zz} = \theta D_{iw} \tau_s + \frac{\lambda_L q_{lz}^2 + \lambda_T q_{lx}^2}{|q_l|}$$

$$\theta D_{xz} = \theta D_{zx} = \frac{(\lambda_L - \lambda_T) q_{lx} q_{lz}}{|q_l|}$$

- c : solute concentration (mg/cm³)
- q_s : solute flux (mg/cm²/s)
- S_c : sink/source for solute (mg/cm³/s)
- D : dispersion coefficient (cm²/s)
- D_{iw} : diffusion coefficient in free water(cm²/s)
- τ_{s} : tortuosity factor for ionic diffusion
- λ_{L} : longitudinal dispersivity (cm)
- λ_T : traversal dispersivity (cm)

Conditions for Numerical Simulationon

root density distribution: measured one

lower BC: daily-measured cumulative outflow

Thermal vapor diffusion was incorporated by plainly inter/extrapolating measured soil temperature.

Aerodynamic resistance:

given from hourly wind velocity at the nearest weather station with correction factor such that aerodynamic resistance gives daily evaporation rate from wet soil beside the lysimeter.

Position Information	
Soil Layering (unit: cm)	
Number of Soil Layer : 1 🗘	
Depth of 0 0 st border =	0
Space Discretization (unit: cm)	
Depth of lower boundary=	40
Thickness of 1st element=	0.2
Thickness of bottom element	= 2.5
Width of element =	1
Width of the region =	60
Observation Point (unit: cm)	
Number of Observation Point	: 6 🗘
Location of 1 C th obs. point	: x = 31
	z = 10
<< Back Execute	z = 10 <u>N</u> ext >>

Initial Co	
	ndition
Type :	Static profile (equilibrium)
Initial pr	essure head at the soil surface = -68
Initial hy	steretic process : Drying
Upper Bo	undary Condition
Type :	Variable (cumulative) water flux (using a file)
File nam	e Irrigation_exp4A.txt
C drip	irrigation depth of emitter = 12 cm; distance from left end = 30
Type :	impermeable V
Lower Bo	oundary Condition
Type :	Variable flux
Type :	Variable flux

Hydraulic Properties :

independently measured using the hanging water method, the vapor equilibrium method, the transient evaporation method



Soil water retention curve of Masa loamy sand

Hydralulic conductivity K(cm/s)

Solute Transport Properties :

independently measured using the half cell method and the long column method (c vs z).





0	WASH_2D - SDI_GreenHouse09_A	_ • ×
File Input <u>E</u> xecute <u>H</u> elp		
$ = 0.000 \text{ M} \text$	dt = 0.00238 solute mass balance error = -0.080% s_storage = 793.309 cum_s_input = 262.455 C[nx/2,1] = 102.300 C[nx/2,nz] = 4.708 C[nx/2,nz/2] = 5.791 C[nx,1] = 102.300 C[nx,nz] = 2.024 Crystl[8,1] = 0.453	



Results and Discussion



Comparison of measured and simulated time evolutions of







Comparison of measured (markers) and simulated (lines) time evolution of water content



Comparison of measured (markers) and simulated (lines) time evolution of salinity

Salt concentration c (mg cm⁻³)



mass balance error = 0.3%

Comparison of measured and simulated volumetric water content distribution in a vertical section at the end of the experiment

Depth z(cm)



Underestimated K?

compensated root water uptake?

Volumetric water content θ (cm³/cm³)

Simulated scanning curve at for Masa loamy sand



mass balance error = 0.7%





t = 990.00





- Software for predicting two dimensional movement of water and solute considering the water vapor movement has been developed.
- Simulated values were in fair agreement, but further investigation is required to improve accuracy.

 Salts in the upper root zone was transported to the soil surface and a part of them was effectively removed by scraping top 0.5 cm layer.

Thank you for your attention



Atmospheric Boundary Condition

$$E = \frac{\rho_{vs}^{*} h_{rs} - \rho_{va}^{*} h_{ra}}{r_{a} + r_{sc}}$$
$$h_{rs} \approx h_{re} = \exp\left(\frac{\psi_{w}}{R_{v}T}\right)$$

 ρ_v^* : saturated water vapor density (g/cm³)

 h_r : relative humidity

- r_a : aerodynamic resistance (s/cm)
- r_{x} : salty crust resistance (s/cm)
- ϕ_w : water potential(cm)

 R_{v} : the gas constant for water vapor (4697 cm/K)

Salty crust resistance as a function of accumulated salt